4	C
	Correct

- (i) S\$29.03 to 1 significant figure,
- (ii) 1.0203 to 2 significant figures.

Answer: (i) S\$.....[1]

(ii)[1]

- 2. Factorise each of the following expressions completely.
 - (a) $4x^2 + x$
 - (b) 2(a+2b)-y(a+2b)

Answer: (a)[1]

(b)[1]

3. Subtract (5+10x) from $5-11x+3x^2-2x^3$.

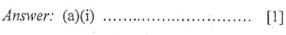
Answer:

[2]

- 4. (a) (i) Solve the inequality $2 \ge -3x$.
 - (ii) If x is an integer that satisfies the inequality $2 \ge -3x$, represent the solution of x on the number line below.
 - (b) Write down the least value of x if
 - (i) x is a prime number,
 - (ii) x is a rational number.

(a)

(ii)



[1]

- 5. Consider the sequence -62, -58, -54, -50, ...
 - (a) Write down the next two terms of the sequence.
 - (b) Write down an expression, in terms of n, for the nth term of the sequence.
 - (c) Using your answer in part (a), find the 100th term of the sequence.
 - (d) (i) Form an inequality, in terms of a, for which the ath term is the first positive term of the sequence.
 - (ii) Hence, solve the inequality and determine the value of a.

Answer:	(a)	······································	[1]
	(b)		[2]
	(c)		[1]
	(d)(i)		[1]
	(ii)	a =	[2]

- 6. (a) Solve the following equations.
 - (i) 2x+7-3(x+5)=4
 - (ii) $\frac{3}{2y} = \frac{5}{7 4y}$
 - (b) Express the following as a single fraction in its simplest form.

$$1 - \frac{5 - 2x}{3}$$

(ii)
$$y =$$
 [3]

- 7. (a) (i) Express 144 as a product of prime factors.
 - (ii) Find the smallest integer q for which $\sqrt[3]{144q}$ is an integer.
 - (b) The number 315, written as the product of prime factors, is

$$315 = 3^2 \times 5 \times 7$$

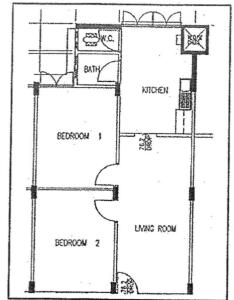
Hence, find

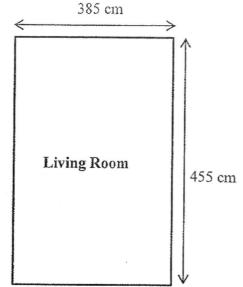
- (i) the smallest integer m such that 315m is a perfect square.
- (ii) the smallest whole number that is divisible by both 144 and 315, leaving your answers in index notation.

(ii)[2

8. The floor plan illustrated in the pictures below shows Alan's floor plan of a 3-room flat. The dimensions of her living room are 455 cm by 385 cm.

Alan is deciding on a suitable square tile that can be used to tile the floor of her living room completely, assuming that the tiles cannot be cut.





Picture of a floor plan for 3-room flat

Dimensions of Alan's living room

- (a) Find the dimension of the largest square tile that can fit Alan's living room.
- (b) Using the information below, find the total cost incurred to tile Alan's living room.

Standard cost of tiling are as follows

Each square tile

: S\$2.80 per tile

Labour cost to lay tiles

: S\$60 per 100 tiles

(Non-negotiable)

(b) S\$.....[3]

9. Using the INSERT provided, answer the following questions.

The graph shows the cost, y, of hiring Electrician A, over a period of x hours spent on the job. The equation y = mx + c represents the graph of Electrician A.

- (a) Using the graph provided for $0 \le x \le 4$, find
 - (i) the cost of hiring Electrician A for 2 hours,
 - (ii) the value of m and c,
- (b) A house owner was puzzled that the graph shows that she has to pay c for zero hours worked. Provide a possible explanation for this amount c.

The table below shows the cost of hiring Electrician B.

Number of hours, x hours	0	2	4
Cost of hiring, \$y	0	50	100

(c) (i) On the same axes provided, draw the graph to represent the cost incurred for hiring Electrician B.

[2]

- (ii) Write down the equation of the graph representing the cost of hiring Electrician B.
- (d) Determine which electrician to hire if a house owner requires 2.5 hours of electrical work. Show your working clearly on the graph insert. Provide a reason to justify your answer.

Answer:	(a)(i)	 [1]

(ii) $m = \dots, c = \dots$ [2]

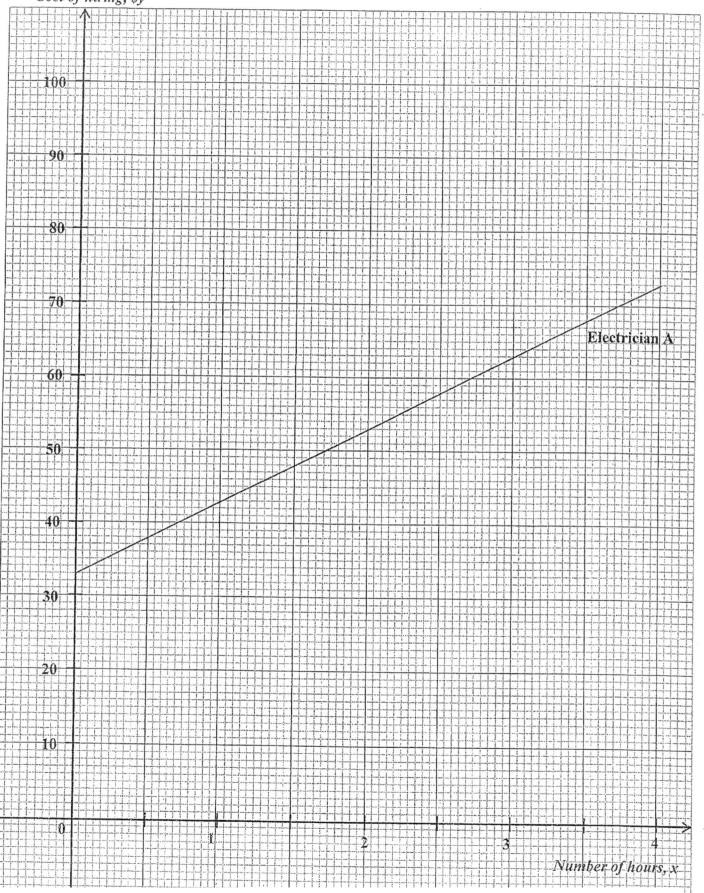
b)[1]

(d) Electrician..... because

[2]

INSERT:

Cost of hiring, \$y



10.

<u>BAKERY A</u> WE ARE HIRING

- Bakery Assistant
- Attractive weekly basic salary of \$80 plus
- 25 cents per donut sold

BAKERY B BAKERY ASSISTANT NEEDED

- Attractive weekly basic salary of \$92
- An addition of \$2 for every 10 donuts sold

Nadia claims her weekly salary would be the same if she sells n number of donuts as a bakery assistant in either bakery. By forming an algebraic equation, find n.

Answer: $n = \dots$ [4]

~ End of Paper ~

1. Correct

- (i) S\$29.03 to 1 significant figure,
- (ii) 1.0203 to 2 significant figures.

Answer: (i) <u>\$\$30</u> [1]

(ii) <u>1.0</u> [1]

- 2. Factorise each of the following expressions completely.
 - (a) $4x^2 + x$
 - (b) 2(a+2b)-y(a+2b)

Answer: (a) x(4x+1) [1]

(b) (2-y)(a+2b) [1]

3. Subtract (5+10x) from $5-11x+3x^2-2x^3$

 $5-11x+3x^2-2x^3-(5+10x)$

$$= 5 - 11x + 3x^2 - 2x^3 - 5 - 10x$$

$$= -2x^3 + 3x^2 - 21x$$

Expand -(5+10x) = -5-10x

Inswer: [2]

- Solve the inequality $2 \ge -3x$. (i) (a) 4.
 - If x is an integer that satisfies the inequality $2 \ge -3x$, represent the (ii) solution of *x* on the number line.
 - Write down the least value of x if (b)
 - x is a prime number (i)
 - x is a rational number (ii)

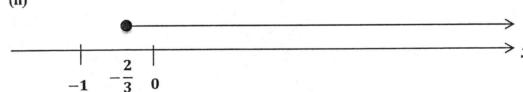
(a)

(i)

$$2 \ge -3x$$

$$-\frac{2}{3} \le x \text{ or } x \ge -\frac{2}{3}$$

(ii)



Drawing of the correct arrow with shaded circle.

Students need to mark out
$$-\frac{2}{3}$$

Answer: (a)(i) $x \ge -\frac{2}{3}$ [1] (b)(i) $\underline{2}$ [1]

(ii)
$$-\frac{2}{3}$$
 [1]

- 5. Consider the sequence -62, -58, -54, -50, ...
 - (a) Write down the next two terms of the sequence.
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 - (c) Using your answer in part (b), find the 100th term of the sequence,
 - (d) (i) Form an inequality, in terms of a, for which the a^{th} term is the first positive term of the sequence.
 - (ii) Hence, solve the inequality and determine the value of a.

(b)

nth term =
$$-62 + 4(n-1)$$

= $-62 + 4n - 4$
= $4n - 66$

Using formula to find nth term

(c)

100th term=
$$4(100) - 66$$

= 334

(d)(i)

$$4a - 66 > 0$$

Form inequality

(ii)

$$4a-66 > 0$$

 $4a > 66$
 $a > 16.5$
Hence, value of $a = 17$

Solve inequality

Answer: (a) -46, -42 [1]

(b)[2]

(c)[1]

(d)(i)[1]

(ii) *a* = [2]

use

6. (a) Solve the following equations.

(i)
$$2x + [7 - 3(x+5)] = 4$$

(ii)
$$\frac{3}{2y} = \frac{5}{7-4y}$$

(b) Express the following as a single fraction in its simplest form.

$$1 - \frac{5 - 2x}{3}$$

(a)(i)

$$2x + [7 - 3(x + 5)] = 4$$

$$2x + [7 - 3x - 15] = 4$$

$$2x + [-8 - 3x] = 4$$

$$2x - 8 - 3x = 4$$

$$-x = 12$$

$$x = -12$$

Expand correctly -3(x+5) = -3x-15

Simplify to 7 - 3x - 15 = -8 - 3x

(a)(ii)

$$\frac{3}{2y} = \frac{5}{7 - 4y}$$
$$3(7 - 4y) = 5(2y)$$
$$21 - 12y = 10y$$
$$22y = 21$$
$$y = \frac{21}{22}$$

Change to same denominator or cross-multiply

Expand correctly 3(7-4y) = 21-12y

(b)

$$1 - \frac{5 - 2x}{3}$$

$$= \frac{3}{3} - \frac{(5 - 2x)}{3}$$

$$= \frac{3 - 5 + 2x}{3}$$

$$= \frac{2x - 2}{3}$$

Change to same denominator using LCM of 3

Expand and simplify -(5-2x) = -5 + 2x

Answer: (a)(i) x = ... [3]

(ii)
$$y =$$
 [3]

- 7. (a) (i) Express 144 as a product of prime factors.
 - (ii) Find the smallest integer q for which $\sqrt[3]{144q}$ is an integer.
 - (b) The number 315, written as the product of prime factors, is

$$315 = 3^2 \times 5 \times 7$$

Hence, find

- (i) the smallest integer m such that 315m is a perfect square.
- (ii) the smallest whole number that is divisible by both 144 and 315, leaving your answers in index notation.

(a)(i)

$$144 = 2^4 \times 3^2$$

(a)(ii)

$$q = 2^2 \times 3$$
$$= 12$$

(b)(i)

$$m = 5 \times 7$$
$$= 35$$

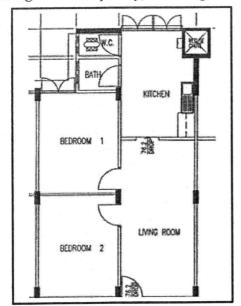
(b)(ii)

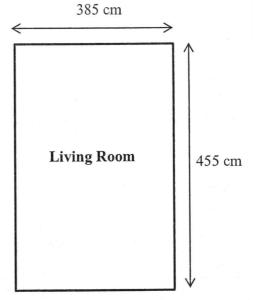
LCM of 144 and
$$315 = 2^4 \times 3^2 \times 5 \times 7$$

Answer:	(a)(1)	•••••	
	(ii)		[1]
	(b)(i)		[1]

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Standard cost of tiling are as follows

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Labour cost to lay tiles : S\$60 per 100 tiles (Non-negotiable)

(a)
$$385 = 5 \times 7 \times 11$$

 $455 = 5 \times 7 \times 13$ Find HCF correctly
HCF = 5×7
 $= 35$
Dimension of tile = 35 cm by 35 cm
(b) No of tiles needed = $\frac{385}{35} \times \frac{455}{35}$
 $= 143$
Total cost = $(143 \times 2.80) + (60 \times 2)$
 $= 520.40

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Provide a possible explanation for this amount \$c.

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- (b) (i) On the same axes provided, draw the graph to represent the cost incurred for hiring Electrician B.
 - (ii) Write down the equation of the graph representing the cost of hiring Electrician B.
- (c) Determine which electrician to hire if a house owner requires 1.5 hours of electrical work. Show your working clearly on the graph insert. Provide a reason to justify your answers.

[2]

(ii)
$$m = 10$$
, $c = 33$ [2]

(iii) This could be to cover transport charges/labour cost/material and tools

required/commitment cost incurred by the electrician to travel to the house owner's [1]

place (Accept any plausible response)

(b) (ii)
$$y = 25x$$
 [1]

(c) Electrician A [A1] because it is cheaper by \$4.50 [B1] to hire Electrician A [2] compared to Electrician B. (provide quantitative data to justify their choice)

For Examiner's use

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10.

BAKERY A

WE ARE HIRING

- **Bakery Assistant**
- Attractive weekly basic salary of \$80 plus
- 25 cents per donut sold

BAKERY B BAKERY ASSISTANT NEEDED

- Attractive weekly basic salary of \$92
- An addition of \$2 for every 10 donuts sold

Nadia claims her weekly salary would be the same if she sells n number of donuts as a bakery assistant in either bakery. By forming an algebraic equation, find n. [4]

$$80 + \frac{25n}{100} = 92 + \frac{2n}{10}$$
$$\frac{5n}{100} = 12$$

5n = 1200

$$n = 240$$

Form an expression for Bakery A Form an expression for Bakery B Express as an equation

Expand and simplify and to solve for x

Answer:
$$n = \dots$$
 [4]